# 9A1a.i: Properties of Number

#### **Factors and Multiples**

actors and ivi	Factors and Multiples		
Factor	A number that	The factors of 18 are:	
	divides exactly into	1, 2, 3, 6, 9 , 18	
	another number		
	without a	The factor pairs of 18	
	remainder.	are:	
		1 & 18, 2 & 9, 3 & 6	
	It is useful to write		
	factors in pairs		
Highest	The <b>biggest</b> number	The HCF of 6 and 9 is 3	
Common	that divides exactly	because it is the biggest	
Factor	into two or more	number that divides	
(HCF)	numbers.	into 6 and 9 exactly.	
Multiple	The result of	The first five multiples	
	multiplying a	of 7 are:	
	number by an		
	integer.	7, 14, 21, 28, 35	
	The <b>times tables</b> of		
	a number.		
Lowest	The <b>smallest</b>	The LCM of 3, 4 and 5 is	
Common	number that is in the	60 because it is the	
Multiple	times tables of each	smallest number in the	
(LCM)	of the numbers	3, 4 and 5 times tables.	
	given.		

#### Powers

Powers		
Square	The number you get	1, 4, 9, 16, 25, 36, 49,
Number	when you multiply a	64, 81, 100, 121, 144,
	number by itself.	169, 196, 225
		$9^2 = 9 \times 9 = 81$
Square	The <b>number you</b>	$\sqrt{36} = 6$
Root	multiply by itself to	
	get another number.	because $6 \times 6 = 36$
	The reverse process of	
	squaring a number.	
Cube	The number you get	1, 8, 27, 64, 125
Number	when you multiply a	$2^3 = 2 \times 2 \times 2 = 8$
	number by itself and	
	itself again.	
Cube Root	The <b>number you</b>	$\sqrt[3]{125} = 5$
	multiply by itself and	
	itself again to get	because $5 \times 5 \times 5 =$
	another number.	125
	The reverse process of	
	cubing a number.	
Powers of	The powers of a	The powers of 3 are:
	number are that	$3^1 = 3$
	number raised to	$3^2 = 9$
	various powers.	$3^3 = 27$
		$3^4 = 81$ etc.

Primes		
Prime Number	A number with <b>exactly</b>	The first ten prime
	two factors.	numbers are:
	A number that can only	
	be divided by itself and	2, 3, 5, 7, 11, 13, 17,
	one.	19, 23, 29
	The number 1 is not	
	prime, as it only has one	
	factor, not two.	
Prime Factor	A factor which is a prime	The prime factors of 18
	number.	are:
		0.0
		2,3
Product of	Finding out which <b>prime</b>	36
Prime Factors	numbers multiply	
	together to make the	2) 18
	original number.	
		(2) 9
	Use a <b>prime factor tree.</b>	
		(3) (3)

Also known as 'prime factorisation'.

#### **Standard Form**

Standard	$A \times 10^b$	$8400 = 8.4 \times 10^3$
Form		
	where $1 \le A < 10$ ,	0.00036 = 3.6 x
	b = integer	$10^{-4}$
Multiplying	Multiply: Multiply the	$(1.2 \times 10^3)$
or Dividing	numbers and add the	$\times (4 \times 10^{6})$
with	powers.	$= 8.8 \times 10^9$
Standard	Divide: <b>Divide the</b>	
Form	numbers and subtract	$(4.5 \times 10^5)$
	the powers.	$\div (3 \times 10^2)$
	-	$= 1.5 \times 10^3$
Adding or	Convert in to ordinary	$2.7 \times 10^4 + 4.6$
Subtracting	numbers, calculate	$\times 10^{3}$
with	and then convert back	= 27000 + 4600
Standard	in to standard form	= 31600
Form		$= 3.16 \times 10^4$

Fraction	A mathematical expression representing the division of one integer by another.	$\frac{2}{7}$ is a 'proper' fraction. $\frac{9}{4}$ is an 'improper' or 'top-heavy' fraction.
	Fractions are written as two numbers separated by a horizontal line.	
Numerator	The <b>top</b> number of a fraction.	In the fraction $\frac{3}{5}$ , 3 is the numerator.
Denominator	The <b>bottom</b> number of a fraction.	In the fraction $\frac{3}{5}$ , 5 is the denominator.
Unit Fraction	A fraction where the numerator is one	$\frac{1}{2}$ , $\frac{1}{3}$ , $\frac{1}{4}$ etc. are examples of unit

fractions.

 $3\frac{2}{5}$  is an example of

a mixed number.

## Simplifying

Mixed

Number

 $36 = 2 \times 2 \times 3 \times 3$ 

or  $2^2 \times 3^2$ 

**Fractions** 

Simpinging		
x times x	The answer is $x^2$ not	Squaring is multiplying
	2 <i>x</i> .	by itself, not by 2.
$p \times p \times p$	The answer is $p^3$ not	If p=2, then
	3 <i>p</i>	$p^3$ =2x2x2=8, not 2x3=6
p + p + p	The answer is 3p not	If p=2, then 2+2+2=6,
	$p^3$	$not 2^3 = 8$

and the

denominator is a

positive integer.

A number formed of

both an **integer part** 

and a fraction part.

### Factorising

Factorise	The <b>reverse</b> of	6x - 15 = 3(2x - 5), where 3 is the
	expanding.	· ·
	Factorising is writing	common factor.
	an expression as a	
	product of terms by	
	'taking out' a	
	common factor.	
Quadratic	A quadratic	Examples of quadratic
	expression is of the	expressions:
	form	$\chi^2$
		$8x^2 - 3x + 7$
	$ax^2 + bx + c$	
		Examples of non-
	where $a$ , $b$ and $c$ are	quadratic
	numbers, $a \neq 0$	expressions:
		$2x^3 - 5x^2$
		9x - 1

Rounding and	Estimating	
Rounding  Rounding  Decimal Place	To make a number simpler but keep its value close to what it was.  If the digit to the right of the rounding digit is less than 5, round down.  If the digit to the right of the rounding digit is 5 or more, round up.  The position of a digit to the right of the right of a	74 rounded to the nearest ten is 70, because 74 is closer to 70 than 80.  152,879 rounded to the nearest thousand is 153,000.  In the number 0.372, the 7 is in the second
	decimal point.	decimal place.  0.372 rounded to two decimal places is 0.37, because the 2 tells us to round down.  Careful with money - don't write £27.4, instead write £27.40
Significant Figure	The significant figures of a number are the digits which carry meaning (ie. are significant) to the size of the number.  The first significant figure of a number cannot be zero.  In a number with a decimal, trailing zeros are not significant.	In the number 0.00821, the first significant figure is the 8.  In the number 2.740, the 0 is not a significant figure.  0.00821 rounded to 2 significant figures is 0.0082.  19357 rounded to 3 significant figures is 19400. We need to include the two zeros at the end to keep the digits in the same place value columns.
Truncation	A method of approximating a decimal number by dropping all decimal places past a certain point without rounding.	3.14159265 can be truncated to 3.1415 (note that if it had been rounded, it would become 3.1416)

